

CS3214

High Speed G.709/G.975 Compliant Reed-Solomon Decoder - Preliminary Datasheet



The CS3214 Reed-Solomon Decoder is designed to provide high performance solutions for forward error correction requirements and meets the ITU G.709 standard for Optical Transport Networks (OTN) providing data rates higher than 10 Gbps. This core is developed for high performance digital video and audio, satellite broadcast or data storage and retrieval applications and is fully compliant with the ITU G.709 standard. The CS3214 RS decoder is available for both ASIC and programmable logic versions that have been handcrafted by Amphion to deliver high performance while minimizing power consumption and silicon area.

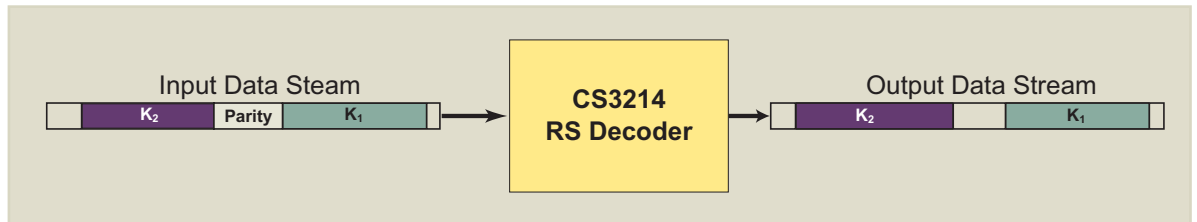


Figure 1: CS3214 Function

ENCODER FEATURES

- ◆ Fully compliant with the ITU G.709/G.975 standards
- ◆ High data rates > 2.4 Gbps in a single instantiation
- ◆ Total number of message symbols per block $k = 255$
- ◆ Number of check bytes per block $(n-k) = 16$
- ◆ Capable of continuous or burst processing of data blocks
- ◆ Symbol wide input and output, clocked by a single symbol rate clock
- ◆ Simple core interface allows easy integration into larger systems
- ◆ Support of the following combinations of generator polynomial, $g(x)$, and field polynomial, $f(x)$:

$$g(x) = (x + 1)(x + \alpha)(x + \alpha^2) \dots (x + \alpha^{(2t+1)})$$

where α is 02_{HEX}

$$f(x) = x^8 + x^4 + x^3 + x^2 + 1$$

KEY METRICS

- ◆ Logic area: 20.6 K Gates (STD Cells)
- ◆ Memory: 26K gates
- ◆ Input clock: 300 MHz

BENEFITS

- ◆ Increases the performance of existing optical networks
- ◆ Lowers the number of repeaters in optical networks
- ◆ Increases the bandwidth for optical networks

APPLICATIONS

- ◆ ITU G.709/G.975 compliant transport networks
- ◆ SONET/SDH applications
- ◆ High performance digital video and audio
- ◆ High-rate LAN/MAN applications
- ◆ Cable and satellite broadcast

BLOCK CODES FOR ERROR CORRECTION

The purpose of channel coding in digital communications systems, is to introduce controlled redundancy into an information sequence, which can be exploited by the receiver to overcome the effects of data corruption caused by channel distortions and noise. The encoding process generally involves taking k information bits or symbols and mapping them to a longer, unique sequence of n bits or symbols, referred to as a *code word*. The amount of redundancy added by the encoder is measured by the ratio n/k , and the reciprocal of this value, namely k/n , is known as the *coding rate*. Intuitively, lower coding rates imply greater degrees of added redundancy, and hence greater robustness against errors. This robustness is generally achieved at the expense of bandwidth expansion, since a higher transmission rate must be maintained for channel-coded data, due to the redundant data added by the encoding process. The redundancy introduced can be utilised to detect the occurrence of errors and request retransmission (ARQ scheme) and/or correct errors (FEC scheme).

Block codes are characterised by the independent coding of successive blocks of information bits, or multi-bit symbols. For each block, the values of the n coded bits or symbols are computed solely from the values of the k information bits or symbols. There are no dependencies between successive blocks, and hence block codes for error detection and

correction are considered *memoryless*. If the information sequence is coded as a sequence of bits, the code is *binary*, while *non-binary* codes encode data as groups of symbols, where a single symbol contains several bits. Reed-Solomon codes are a particularly powerful type of non-binary linear block code. A systematic (n, k) Reed-Solomon code takes k information symbols and appends $n-k$ redundant check (or parity) symbols. This allows unassisted correction of up to $\lfloor (n-k) / 2 \rfloor$ symbol errors per block of n symbols, and hence Reed-Solomon coding is particularly effective against burst errors introduced by the communications channel. In addition to the number of added check symbols, a Reed-Solomon code is characterised by a *field polynomial* and *generator polynomial*. The coefficients of the field polynomial define a particular finite field, which is an integral part of the mathematical operations carried out during coding. The coefficients of the generator polynomial are used to determine the check symbol values for a particular information sequence.

CS3214 FUNCTIONAL DESCRIPTION

Figure 2 represents the main functional blocks and interfaces for the CS3214 Reed Solomon decoder.

The CS3214 RS decoder consists of 6 primary blocks as shown in Figure 2. The following sections briefly describe the functionality of each block.

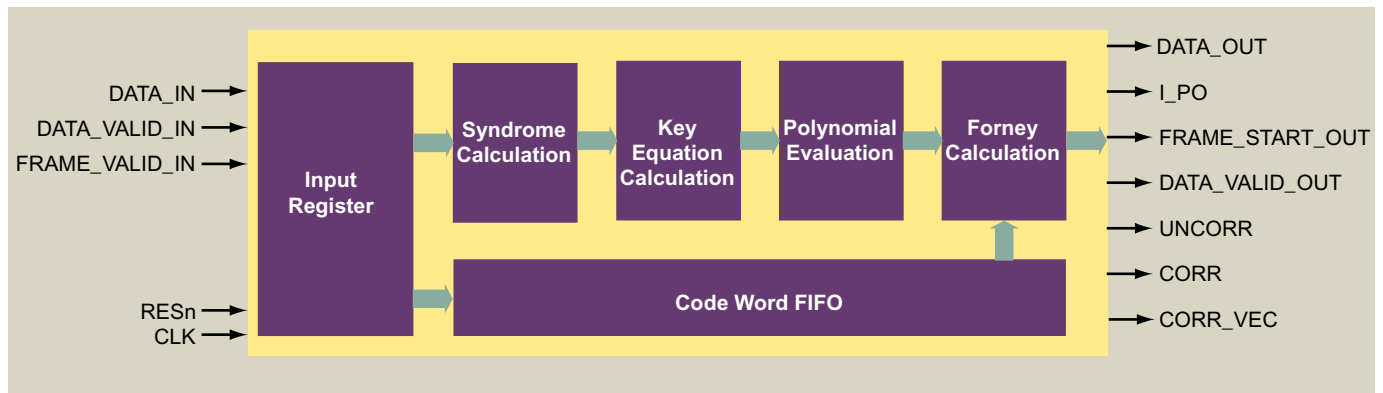


Figure 2: CS3214 Overview Diagram

RS_DECODER

This block contains the circuitry for the total decoding calculation and a FIFO to store the codewords input to the core. The operation of the FIFO is to present uncorrected codewords for the application of correction symbols calculated in the main body of the decoder. The decoding calculation is subdivided into 5 components.

All input signals are registered on the rising edge of the signal *CLK* for being input to the core. This eases integration of the RS decoder with other components and simplifies timing characterization when performing system level integration. All output signals are driven from registers on the rising edge of the signal *CLK*.

Syndrome Calculation

The Syndrome Calculation block contains control circuitry to ensure that complete and valid codewords are applied to the decoder. For a code with $(n - k)$ parity symbols a set of $(n - k)$ syndromes are produced. The values of these syndromes are subsequently forwarded to error location and evaluation circuitry to resolve the positions and magnitude of codeword errors.

Key Equation Block

Solving the key equation is a complex iterative process and this block constitutes the main arithmetic engine of the RS decoder. The syndromes are used to check if the received codeword contains errors. This is performed by the calculation of location and evaluation polynomials, which combine to mathematically describe the positions and values respectively of any errors discovered in the codeword. The key equation unit is dormant until the Syndrome calculation unit signals that a complete Reed Solomon codeword has been received and the syndrome values are ready to be loaded. Locator and evaluator polynomials are found by iteration. The greater $(n - k)$ is, the more iterations are necessary to complete the calculations. The number of iterations required is independent of the number of errors in the received codeword.

Polynomial Evaluation

The following stage of processing (Polynomial Evaluation) concerns the finding of the roots of the polynomials mentioned above. This requires the implementation of successive Galois field multipliers and the addition of the resulting components to produce a set of datastreams pertaining to the correction vectors to be applied to the received codeword. The presence of α^{-1} (zero) values in the location datastream implies a symbol in need of correction. The evaluation datastream may be used to calculate the value required to correct the located error.

Forney Computation

The Forney algorithm unit is used to perform the final evaluation calculation and the application of the correction vectors to the received codewords. Often using Reed Solomon decoding, the system requires knowledge that an uncorrectable block has been received. It is not possible to determine whether a codeword is correctable until the decoder has completely processed the entire codeword.

Codeword Buffer

The codeword buffer comprises a block of dual port RAM and associated control circuitry. The buffer operates as to read in complete codeword messages from the *DATA_IN* input. On completion of the decoding operation symbols are read from the buffer in the FORNEY block in order to be added to the erroneously received symbols in the codeword under correction.

Control in the codeword buffer manages the reading and writing of Reed Solomon symbols. The control logic also ensures that the decoder can operate correctly even when operated in an improper manner. Correction of a codeword is not initiated until that codeword has been completely received. Hence if a new codeword is begun before the previous codeword has been completely entered, the codeword buffer will overwrite the partially received message giving preference to the new message. Similarly if more than "n" valid symbols are entered into the decoder between successive *FRAME_START_IN* flags the excess symbols are ignored.

The control logic's effective role in managing the acceptance only of full codeword messages gives the core the ability to demonstrate a wide range of flexibility in dealing with continuous and burst messages, as well as aborted messages.

CS3214 SYMBOL AND PIN DESCRIPTION

Table 1 describes input and output ports (shown graphically in Figure 3) of the CS3214 G.709 compliant RS core. Unless otherwise stated, all signals are active high and bit(0) is the least significant bit.

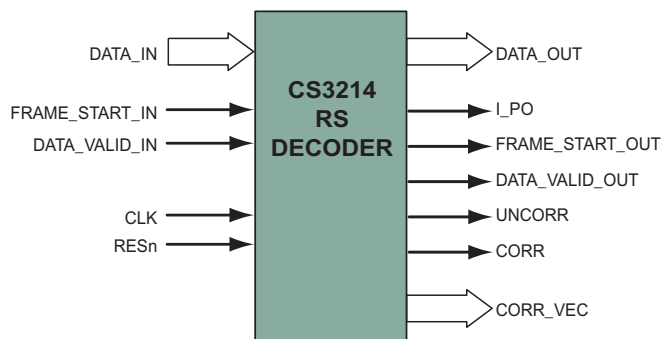


Figure 3: CS3214 Symbol

Table 1: CS3214 RS Decoder Interface Signal Definitions

Signal	I/O	Width (Bits)	Description
CLK	I	1	Symbol rate clock, rising edge active
RESn	I	1	Asynchronous Master Reset, active low
DATA_IN	I	8	Input data symbol, 8 bits wide
FRAME_START_IN	I	1	When high, indicates the data on <i>DATA_IN</i> is the first symbol in a new codeword sequence
DATA_VALID_IN	I	1	When high, signifies that the signals at the <i>DATA_IN</i> and <i>FRAME_START_IN</i> ports contain valid information
DATA_OUT	O	8	Output data symbol, 8 bits wide.
FRAME_START_OUT	O	1	When high, indicates the data on <i>DATA_OUT</i> is the first symbol in a new coded block
DATA_VALID_OUT	O	1	When high, signifies that the signals at the <i>DATA_OUT</i> and <i>FRAME_START_OUT</i> ports contain valid information
I_PO	O	1	Indicates the present symbol is message (1) or parity (0) data.
CORR	O	1	Flag indicates that the decoder has corrected the data present at <i>DATA_OUT</i> .
CORR_VEC	O	8	Indicates the value of the error found at the present symbol.
UNCORR	O	1	Flag indicates that the present codeword has been determined uncorrectable by the decoder's correction algorithms

OPERATIONAL DESCRIPTION

The following sections describe the operation of the Reed Solomon decoder.

RESET AND CLOCKING STRATEGY

All synchronous elements in the RS decoder are clocked using the rising edge of the *CLK* signal. Additionally, all I/O signals are registered on the rising edge of *CLK*, with the exception of *RESn*. When the reset signal *RESn* is asserted, all registers will be set to their default reset value.

INPUT DATA INTERFACE

DATA_VALID_IN

The *DATA_VALID_IN* signal should be asserted when valid data is present on *DATA_IN* and appropriate flags are driven at the *FRAME_START_IN* input. *DATA_VALID_IN* acts as a clock enable for the input codeword and if de-asserted, the decoder will not sample the signals at *FRAME_START_IN* and *DATA_IN*. Therefore, there is no requirement for the codeword sequence to be input in a continuous stream. If *DATA_VALID_IN* is de-asserted after a complete codeword sequence has been input, the decoder continues to process the received message and output the corrected message, despite the fact that the input data flow has stalled. Symbols placed on *DATA_IN* will be ignored when *DATA_VALID_IN* is de-asserted.

FRAME_START_IN

FRAME_START_IN should be asserted for one clock cycle at the same time as the first information symbol in a new sequence is applied to *DATA_IN* simultaneously with *DATA_VALID_IN* asserted.

Once a complete codeword has been received the entire codeword is processed through the decoder and output when the core latency has expired. If *FRAME_START_IN* is asserted at the beginning of a codeword and subsequently reasserted before the codeword has completely entered the decoder, the partially entered codeword will be discarded and processing begun again at the latest assertion of *FRAME_START_IN*.

OUTPUT DATA INTERFACE

DATA_OUT

The decoded Reed Solomon symbols are output on the *DATA_OUT* port latency clock cycles after the last Reed Solomon symbols was clocked in on the *DATA_IN* port. All valid data output from this port is marked as such by the simultaneous assertion of the *DATA_VALID_OUT* signal. The first symbol of an output message is marked as such by the simultaneous assertion of the *FRAME_START_OUT* signal.

FRAME_START_OUT

FRAME_START_OUT is asserted for one clock cycle duration at the same time as the first code word symbol of the corrected decoder output appears on *DATA_OUT*.

DATA_VALID_OUT

When valid information symbols are present on *DATA_OUT*, the output *DATA_VALID_OUT* signal is asserted. As corrected messages are output from the decoder continuously once the decoder latency has expired, under normal operation *DATA_VALID_OUT* is asserted for *n* clock cycles at a time. Once a complete codeword has been output from the decoder *DATA_VALID_OUT* is de-asserted until the next decoded message is output.

CORR

If the symbol present at *DATA_OUT* has been determined incorrect by the correction algorithms and an attempt has been made to correct it, *CORR* will be asserted high for the duration of that symbol.

BLK_ERR

If the codeword being output has been determined uncorrectable by the correction algorithm, *BLK_ERR* will be asserted coincident for the output duration of that codeword. If *BLK_ERR* is asserted, no corrections will be attempted on that codeword, so the data being output will be the same as that of the input codeword.

CORR_VEC

If the codeword being output has been determined correctable by the correction algorithms, *CORR_VEC* signifies the error value calculated for the symbols the decoder has corrected. If the codeword has been determined uncorrectable by the correction algorithms, *CORR_VEC* will be zero.

I_PO

When the symbols being output from the decoder are message symbols, flag *I_PO* will be asserted and when the symbols being output are parity symbols, flag *I_PO* will be de-asserted. Therefore *I_PO* will be high for the first 239 symbols of the output codeword and low for the remaining 16 output codeword symbols.

CORRECTION POWER

The Reed Solomon decoder does not support erasure decoding and is limited to correcting a maximum of *T* errors.

$$T = (n - k) / 2$$

UNCORRECTABLE BLOCKS

When the correction limit of a Reed Solomon code is violated, a Reed Solomon decoder is unable to attempt correction of even a single symbol of the received codeword. However the decoder may behave in one of a number of ways depending how much distance the transmitted code has from its neighbor's.

Generally a Reed Solomon code has a minimum distance of $(2T + 1)$. That is, two valid Reed Solomon codewords will have at least $(2T + 1)$ dissimilar symbols, where dissimilar means they have different location and or magnitude. Many Reed Solomon codewords will, however, have greater distance than this minimum requirement as illustrated in Figure 4.

The valid code at the center of RS Code A may be corrected while the number of symbols received erroneously is less than or equal to T as Code A is the closest valid codeword.

However, if there are significantly more errors than T , then the resulting erroneous codeword may lie closer to a neighboring code such as RS Code B. In this case if the resulting codeword lies within Code B's T distance circle then it will be identified as being Code B with a correctable number of errors and will be decoded as RS Code B. In the case where the erroneous code word lies outside any valid codes T distance circle then the block is identified as being uncorrectable and no correction is attempted as it is impossible to tell which codeword the corrupted block originated from.

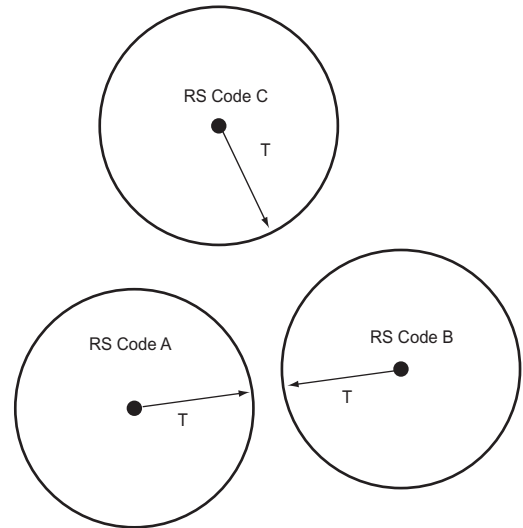


Figure 4: Codeword Distance

REED SOLOMON DECODER TIMING DIAGRAMS

Figure 5 shows the functional timing diagram of the CS3214 Reed Solomon decoder.

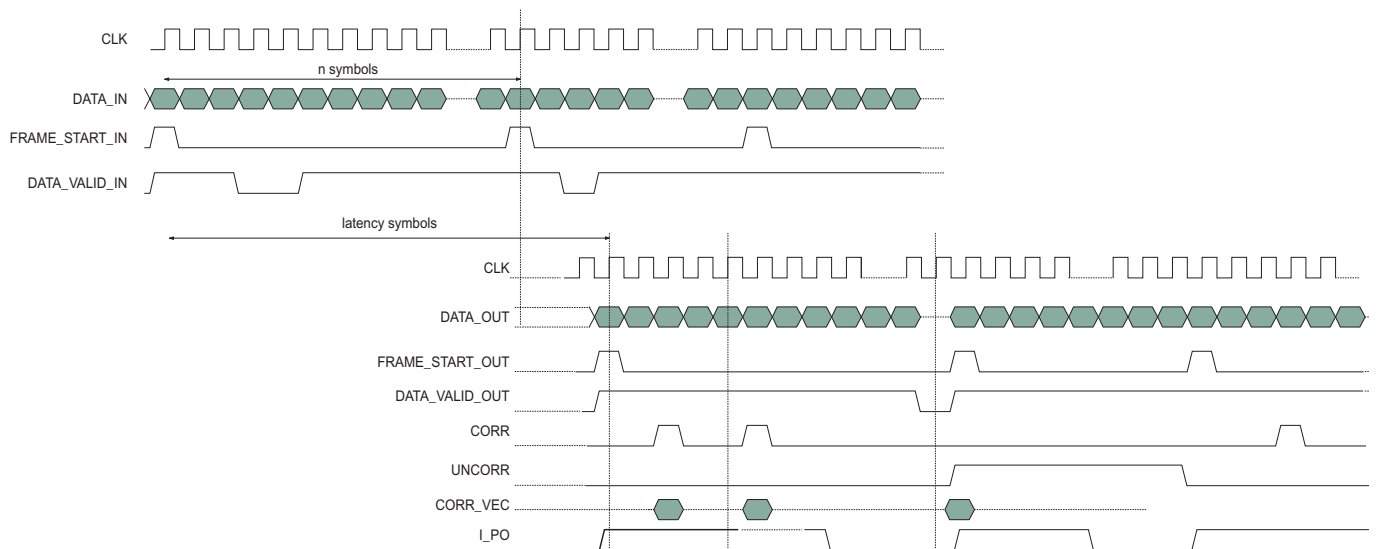


Figure 5: CS3214 RS Decoder Functional Timing Diagram

AVAILABILITY AND IMPLEMENTATION INFORMATION

PROGRAMMABLE LOGIC CORES FOR ACTEL SILICON DEVICES

For ASIC prototyping or for projects requiring the fast time-to-market of a programmable logic solution, Amphion programmable logic core solutions offer the silicon-aware performance tuning found in all Amphion products, combined with the rapid design times offered by today's leading programmable logic solutions.

Table 2: CS3214 Programmable Logic Core

PRODUCT ID	SILICON VENDOR	DEVICE	PERFORMANCE (MSAMPLES/SEC)	DEVICE UTIL	MEMORY
CS3214	Actel	Contact Amphion or Actel	TBD	TBD	TBD

ABOUT AMPHION

Amphion (formerly Integrated Silicon Systems) is the leading supplier of speech coding, video/image processing and channel coding application specific silicon cores for system-on-a-chip (SoC) solutions in the broadband, wireless, and multimedia markets

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